

A review of the the field for assigning the footprints to a point set.

Max Dupenois

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This review concerns itself with the field of attempting to achieve representational shape for a set of dots in a plane. Specifically it centres on algorithms that can display a *perceived* shape from the set.

The need for a method to find the *perceived* shape is best explained by first looking at the most commonly used form of shape generation. Commonly the shape is found by finding the convex hull ¹. One of the first examples of this was in R.A. Jarvis' 1973 paper ² in which the 'Jarvis March' or 'Gift-Wrapping Algorithm' was proposed. The issues inherent in the use of the convex hull relate to its inability to achieve the *perceived* shape Fig.1.

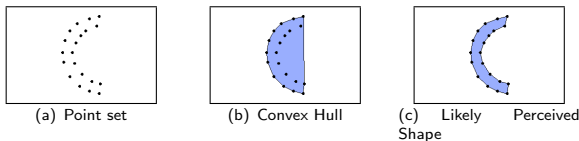


Figure: When a convex hull is inappropriate

¹ "A subset S of the plane is called convex if and only if for any points $p, q \in S$ the line segment \overline{pq} is completely contained in S . The convex hull $\mathcal{CH}(S)$ of a set S is the smallest convex set that contains S . To be more precise it is the intersection of all the convex sets that contain S ." 'Computational Geometry, Algorithms and Applications' Berg et al.

²On the identification of the convex hull of a finite set of points in the plane

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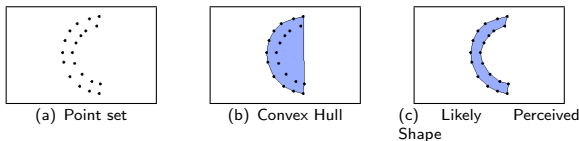


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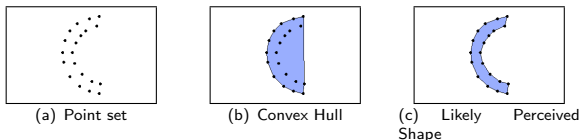


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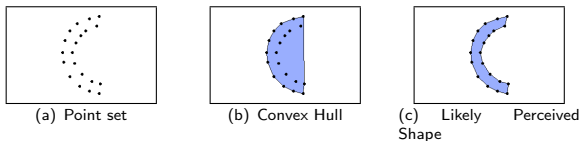


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Dots not points, **Footprints** not shape, concave hull (Moreira and Santos), χ -hull or non-convex etc...

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Further Background and conclusion

Nearly all the papers present algorithms for the generation of the footprints with little reference to any real research into what makes a perceived shape perceivable. The only paper that focuses on this is Galton's 'Pareto-Optimality of Cognitively Preferred Polygonal Hulls for Dot Patterns' in which he aptly points out:

The evaluation of this behaviour [β] is typically very informal, often amounting to little more than observing that the shape produced by the algorithm is a 'good approximation' to the perceived shape of the dots. While lip-service is generally paid to the fact that there is no objective definition of such a 'perceived shape', little is said about how to verify this, or indeed, about exactly what it means.

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